## Lecture 1:

# Course Introduction: Welcome to Computer Graphics! 

Interactive Computer Graphics
Stanford CS248, Winter 2020

## Tunes

# Gift of Gab "Dreamin" <br> <br> (Escape to Mars) 

 <br> <br> (Escape to Mars)}
"Think of all the things you will be able to create with a bit of graphics knowledge."

- Timothy Jerome Parker


## Hi!



Yinchen Xu

Kayvon Fatahalian

## Discussion: <br> Why study computer graphics?

## What is computer graphics?

com•put•er graph•ics /kəm'pyoodər 'grafiks/ $n$. The use of computers to synthesize and manipulate visual information.

## Why visual information?

## About 30\% of brain dedicated to visual processing...


...eyes are highest-bandwidth port into the head!

## Movies



## Jurassic Park (1993)

## Movies



The Matrix (1999)

## Computer games



This image is rendered in real-time on a modern GPU

## Computer games



Assassin's Creed Odyssey (Ubisoft 2018)

## Supercomputing for games



## Virtual reality experiences



## Augmented reality



Microsoft Hololens augmented reality headset concept

## Illustration



Indonesian cave painting ( $\sim 38,000 \mathrm{BCE}$ )

## Digital illustration



Meike Hakkart
http://maquenda.deviantart.com/art/Lion-done-in-illustrator-327715059

## Graphical user interfaces



Ivan Sutherland, "Sketchpad" (1963)


Doug Engelbart Mouse

## Modern graphical user interfaces



2D drawing and animation are ubiquitous in computing.
Typography, icons, images, transitions, transparency, ... (all rendered at high frame rate for rich experience)

## Digital photography



NASA | Walter looss | Steve McCurry Harold Edgerton | NASA | National Geographic

## Ubiquitous imaging



## Cameras everywhere

## Computational cameras



## Panaromic stitching, HDR photos, light field cameras, ...

## Imaging for mapping



Maps, satellite imagery, street-level imaging,...

## Computer aided design



SolidWorks

SketchUp


## Product design and visualization



## Ikea - 75\% of catalog is rendered imagery

## Architectural design



## Bilbao Guggenheim, Frank Gehry

## Visualization


\% Difference in Employed Persons
$10.00 \%$
Select State:


Science, engineering, medicine, journalism, ...

## Simulation



Driving simulator
Toyota Higashifuji Technical Center

da Vinci surgical robot Intuitive Surgical

Flight simulator, driving simulator, surgical simulator, ...

## Simulation for training models

## Al Habitat:


simulator for training AI agents

## Carla:

autonomous driving simulator

AI Habitat enables training of embodied AI agents (virtual robots) in a before transferring the learned skills to reality. This empowers a para datasets (e.g. ImageNet, COCO, VQA) to embodied AI where agents act fore active perception, long-term planning, learning from interacti environment.

Why the name Habitat? Because that's where Al agents live :)
Habitat is a platform for embodied AI research that consists of Habitat-

## Habitat-Sim

A flexible, high-performance 3D simulator with configurable agents handling (with built-in support for MatterPort3D, Gibson, Replica, and


## 3D fabrication



## Foundations of computer graphics

- All these applications demand sophisticated theory and systems
- Science and mathematics
- Physics of light, color, optics
- Math of curves, surfaces, geometry, perspective, ...
- Sampling
- Systems
- Parallel, heterogeneous processing
- Graphics-specific programming systems
- Input/output devices
- Art and psychology
- Perception: color, stereo, motion, image quality, ...
- Art and design: composition, form, lighting, ...


## ACTIVITY: modeling and drawing a cube

- Goal: generate a realistic drawing of a cube
- Key questions:
- Modeling: how do we describe the cube?
- Rendering: how do we then visualize this model?


## ACTIVITY: modeling the cube

- Suppose our cube is...
- centered at the origin $(0,0,0)$
- has dimensions $2 \times 2 \times 2$
- QUESTION: What are the coordinates of the cube vertices?
A: $(1,1,1)$
B: $(-1,1,1)$
C $:(1,-1,1)$
D: $(-1,-1,1)$
D $:(-1,1,-1)$
( $:(1,-1,-1)$
( $:(-1,-1,-1)$
- QUESTION: What about the edges?
$A B, C D, E F, G H$,
$A C, B D, E G, F H$,
$A E, C G, B F, D H$


## ACTIVITY: drawing the cube

- Now have a digital description of the cube:

VERTICES
A: ( $1,1,1$ ) $\mathrm{E}:(1,1,-1)$
$B:(-1,1,1) \quad F:(-1,1,-1) \quad A B, C D, E F, G H$,
C: $(1,-1,1) \quad G:(1,-1,-1) \quad A C, B D, E G, F H$,
D: (-1,-1, 1 ) $\mathrm{H}:(-1,-1,-1)$

EDGES AE, CG, BF, DH

■ How do we draw this 3D cube as a 2D (flat) image?

- Basic strategy:

1. Project 3D vertices to 2D points in the image
2. Connect 2D points with straight lines
...0k, but how?

## Perspective projection

- Objects look smaller as they get further away ("perspective")

■ Why does this happen?
■ Consider simple ("pinhole") model of a camera:


## For those that didn't do this in grade school


http://jdaniel4smom.com/2017/06/pinhole-camera.html

## Perspective projection: side view

- Where exactly does a point $p=(x, y, z)$ end up on the image?
- Let's call the image point $\mathrm{q}=(\mathrm{u}, \mathrm{v})$



## Perspective projection: side view

- Where exactly does a point $p=(x, y, z)$ end up on the image?
- Let's call the image point $\mathrm{q}=(\mathrm{u}, \mathrm{v})$
- Notice two similar triangles:

- Assume camera has unit size, coordinates relative to pinhole c

■ Then $\mathrm{v} / 1=\mathrm{y} / \mathrm{z}$, i.e., vertical coordinate is just the slope $\mathrm{y} / \mathrm{z}$
■ Likewise, horizontal coordinate is $\mathbf{u}=\mathbf{x} / \mathbf{z}$

## ACTIVITY: now draw image made by pinhole camera

- Need 12 volunteers
- each person will draw one cube edge
- assume camera is at point $c=(2,3,5)$
- convert (X,Y,Z) of both endpoints of edge to (u,v):

1. subtract camera c from vertex ( $X, Y, Z$ ) to get ( $x, y, z$ )
2. divide $x$ and $y$ by $z$ to get ( $u, v$ )—write as a fraction

- draw line between (u1,v1) and (u2,v2)

VERTICES

```
A: ( 1, 1, 1 ) E: ( 1, 1,-1 )
B: (-1, 1, 1 ) F: (-1, 1,-1 )
C: ( 1,-1, 1 ) G: ( 1,-1,-1 )
D: (-1,-1, 1 ) H: (-1,-1,-1 )
```

EDGES
$A B, C D, E F, G H$, $A C, B D, E G, F H$, $A E, C G, B F, D H$

## ACTIVITY: how did we do? *



## 2D coordinates:

A: ( $1 / 4,1 / 2$ )
B: $(3 / 4,1 / 2)$
C: $(1 / 4,1)$
D: (3/4, 1)
E: ( $1 / 6,1 / 3$ )
F: ( $1 / 2,1 / 3$ )
G: $(1 / 6,2 / 3)$
H: (1/2, 2/3)

* keep in mind, this image is mirrored since it is a pinhole projection. Mirror the result and you get...



## But wait... <br> How do we draw lines on a computer?

## CNC sharpie drawing machine ;-)


http://44rn.com/projects/numerically-controlled-poster-series-with-matt-w-moore/

## Oscilloscope



## Cathode ray tube



## Oscilloscope art :-)


https://www.youtube.com/watch?v=rtR63-ecUNo

## Frame buffer: memory for a raster display

##  <br> II 롶 = ロiロ



Capuright 19ER
image $=$ " $2 D$ array of colors"

## Output for a raster display

- Common abstraction of a raster display:
- Image represented as a 2D grid of "pixels" (picture elements) **
- Each pixel can can take on a unique color value

** Kayvon will strongly challenge this notion of a pixel "as a little square" next class. But let's go with it for now. ;-)


## Flat panel displays



Low-Res LCD Display



High resolution color LCD, OLED, ...

## Close up photo of pixels on a modern display



## LCD screen pixels (closeup)


iPhone 6S


Galaxy S5

## LCD (liquid crystal display) pixel

- Principle: block or transmit light by twisting polarization
- Illumination from backlight (e.g. fluorescent or LED)
- Intermediate intensity levels by partial twist



## DMD projection display



DIGITAL MICRO MIRROR DEVICE (DMD)

 (SLM - Spatial Light Modulator)

## MICRO MIRRORS CLOSE UP

## Array of micro-mirror pixels

DMD = Digital micro-mirror device

## DMD projection display



Array of micro-mirror pixels
DMD = Digital micro-mirror device

## What pixels should we color in to depict a line?

"Rasterization": process of converting a continuous object (a line, a polygon, etc.) to a discrete representation on a "raster" grid (pixel grid)


## What pixels should we color in to depict a line?

Light up all pixels intersected by the line?


## What pixels should we color in to depict a line?

Diamond rule (used by modern GPUs): light up pixel if line passes through associated diamond

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## What pixels should we color in to depict a line?

Is there a right answer?
(consider a drawing a "line" with thickness)


## How do we find the pixels satisfying a chosen rasterization rule?

- Could check every single pixel in the image to see if it meets the condition...
- $0\left(n^{2}\right)$ pixels in image vs. at most $0(n)$ "lit up" pixels
- must be able to do better! (e.g., seek algorithm that does work proportional to number of pixels in the drawing of the line)


## Incremental line rasterization

- Let's say a line is represented with integer endpoints: (u1,v1), (u2,v2)
- Slope of line: $s=(v 2-v 1) /(u 2-u 1)$
- Consider an easy special case:
- u1 < u2, v1 < v2 (line points toward upper-right)

Assume integer coordinates

- $0<s<1$ (more change in $x$ than $y$ )
v += s;
draw ( $u$, round(v) )
\}

u1
u2

Common optimization: rewrite algorithm to use only integer arithmetic (Bresenham algorithm)

## Line drawing of cube



2D coordinates:

$$
\begin{array}{ll}
\text { A: } & (1 / 4,1 / 2) \\
B: & (3 / 4,1 / 2) \\
C: & (1 / 4,1) \\
D: & (3 / 4,1) \\
E: & (1 / 6,1 / 3) \\
\mathrm{F}: & (1 / 2,1 / 3) \\
\mathrm{G}: & (1 / 6,2 / 3) \\
\mathrm{H}: & (1 / 2,2 / 3)
\end{array}
$$

* keep in mind, this image is mirrored since we simulated the result of pinhole projection

We just rendered a simple line drawing of a cube.

## But to render more realistic pictures

(or animations) we need a much richer model of the world.

surfaces<br>motion materials<br>lights<br>cameras



## 2 D shapes


[Source: Batra 2015]

## Complex 3D surfaces




Platonic noid


## Realistic lighting environments



## Animation: modeling motion



## Physically-based simulation of motion


https://www.youtube.com/watch?v=tT81VPk ukU

## Course Logistics

## About this course

- A broad overview of major topics and techniques in interactive computer graphics: geometry, rendering, animation, imaging
- Learn by implementing:
- Focus on implementing fundamental data structures and algorithms that are reused across all areas of graphics


## Getting started

- Sign up for an account on the course web site
- http://cs248.stanford.edu
- Sign up for the course on Piazza
- http://piazza.com/stanford/winter2020/cs248
- There is no textbook for this course, but please see the course website for references (there are some excellent graphics textbooks)


## Course programming assignments


1.2D drawing ( 2 weeks)

3. Materials and lighting in a 3D renderer (2 weeks)

2. Geometry editing ( 2 weeks)

4. Self-selected project extend existing project, take on optional animation project, choose your own
( $\sim 3$ weeks)

## Assignments / Grading

- (40\%) Three programming assignments
- In teams of up to two students (yes, you can work alone if you wish)
- ( $10 \%$ ) Written exercises (weekly)
- Released on Tues night, due Friday 10am (starting next week)
- Graded on participation only
- (25\%) Final exam
- Given in week 9 of the course
- (25\%) Self-selected final project
- Extend an earlier assignment, or do your own thing!


## The course web site

We have no textbook for this class and so the lecture slides and instructor/TA/ student discussions on the web are the primary course reference

## Perspective projection

- Objects look smaller as they get further away ("perspective")
- Why does this happen?
- Consider simple ("pinhole") model of a camera:

"Add private note" button:
You can add notes to yourself about this slide here.

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## Thought question for next time: What does it mean for a pixel to be covered by a triangle?

Question: which of these four triangles "cover" this pixel?


# See you next time! 

Next time, we'll talk about drawing a triangle

- And it's a lot more interesting than it might seem. . .
- Also, what's up with these"jagged" lines?


